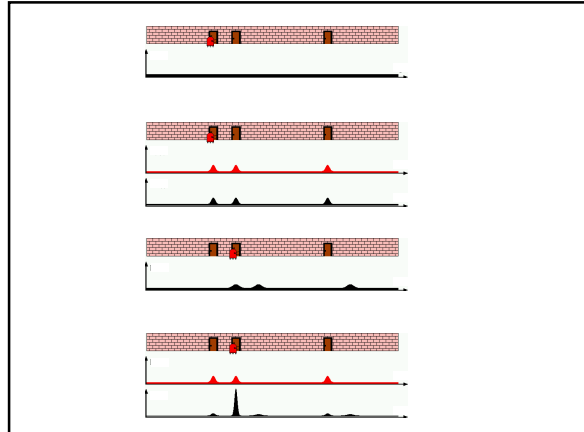
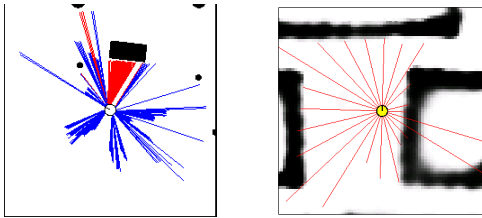


CS329 Probabilistic Robotics

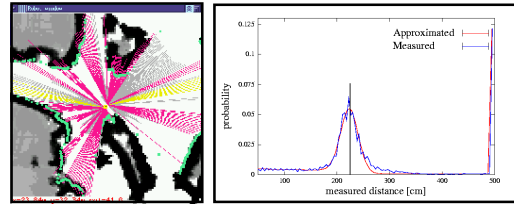
Sebastian Thrun
Carnegie Mellon University
www.cs.cmu.edu/~thrun



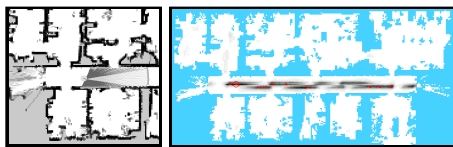
Nature of Sensor Data



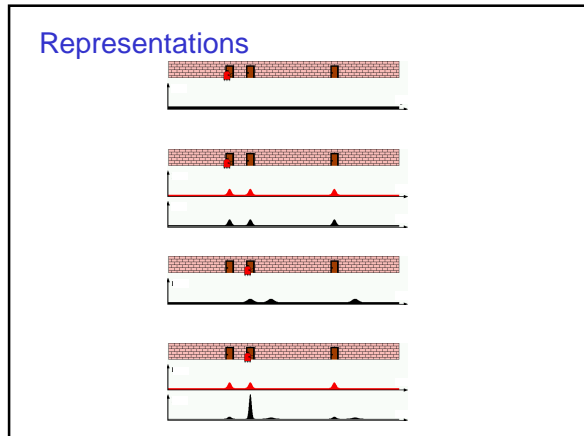
Probabilistic Range Sensing



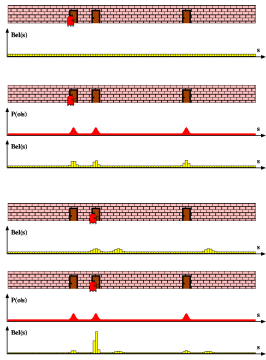
Posterior Probability (Single Scan)



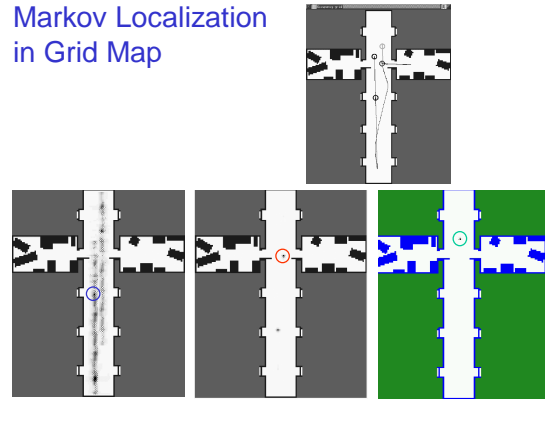
Representations



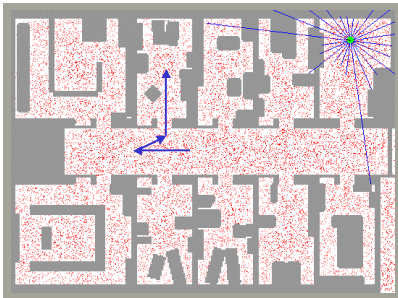
Grid Approximations



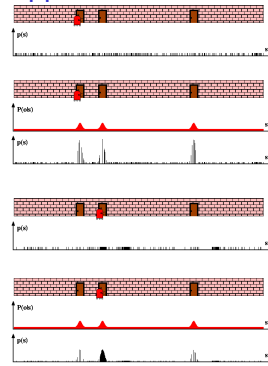
Markov Localization in Grid Map



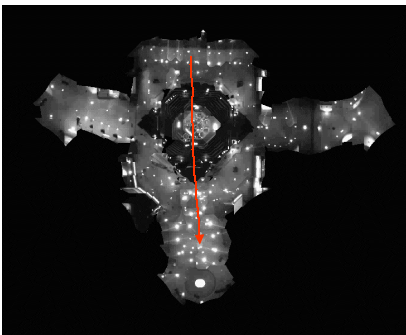
Monte Carlo Localization



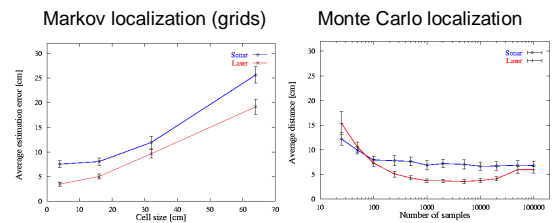
Sample Approximations



Monte Carlo Localization, cont'd



Performance Comparison



What Can Go Wrong?

Model limitations/false assumptions

- Map false, robot outside map
- Independence assumption in sensor measurement noise
- Robot goes through wall
- Presence of people
- Kidnapped robot problem
- Invisible hazards?

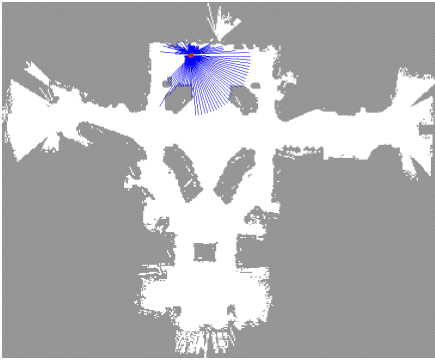
Approximation (Samples)

- Small number of samples (eg, $n=1$) ignores measurements
- Perfect sensors
- Resampling without robot motion
- Room full of chairs (discontinuities)

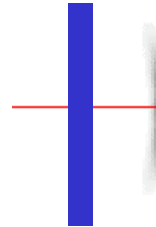
Localization in Cluttered Environments



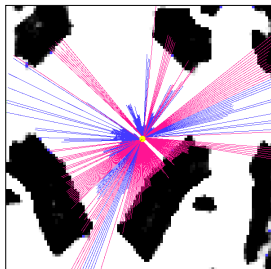
Kidnapped Robot Problem



Probabilistic Kinematics

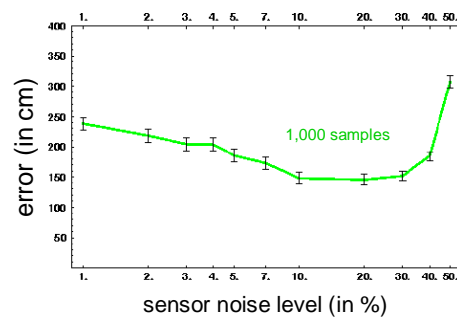


Pitfall: The World is not Markov!

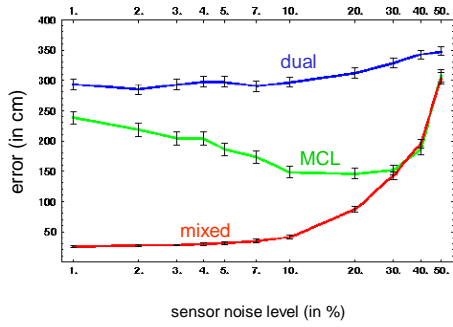


$$p(z \text{ is short}) = \int \int p(z|x,m) dz p(x|u^{1:t}, z^{1:t-1}) dx \geq 0.99$$

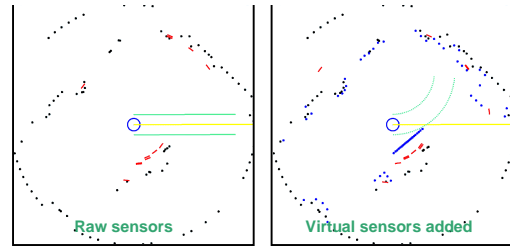
Error as Function of Sensor Noise



Error as Function of Sensor Noise



Avoiding Collisions with Invisible Hazards



$$p(z_t > a) = \int I_{\text{ray}(\text{mcc}(z_t, m)) > a} p(x_t | u_{1:t}, z_{1:t-1}) dx_t$$

$$a^* = \sup_a \{p(z_t > a) \geq 0.99\}$$